

Научная статья | Original paper

Students' creative thinking process in solving numerical estimation problems: a case study at a junior high school

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Abstract

Context and relevance. In the era of 21st-century learning, creative thinking is very important, especially in mathematics. Numerical estimation, which is a basic part of numeracy, requires accuracy as well as flexible and innovative thinking. Studying how students use creative strategies to solve estimation problems helps us understand their difficulties, especially when time is limited, and improves teaching methods. **Objective.** This study aims to examine the creative thinking processes of junior high school students in solving numerical estimation problems, focusing on four dimensions of creativity: fluency, flexibility, elaboration, and originality. **Hypothesis.** The stages of creative thinking (fluency, flexibility, elaboration, and originality) of junior high school students emerge in the process of solving numerical estimation problems. **Methods and materials.** This study used a qualitative approach involving junior high school students. From 55 students, two participants (S1 and S2) were selected to explore their creative thinking processes in depth. Data were collected through numerical estimation tests, observation, think-aloud protocols, interviews, and field notes. Data analysis was conducted in six stages: reviewing, reducing, grouping, categorizing, coding, and validating the findings through member checking. **Results.** Junior high school students, in solving numerical estimation problems, demonstrate fluency in generating various strategies, elaboration by drawing on prior experiences, flexibility in adjusting approaches, and originality through unique new strategies. **Conclusions.** In solving numerical estimation problems, junior high school students demonstrate creative thinking, fluency, elaboration, flexibility, and originality. It is recommended that teachers should be encouraged to adopt diverse teaching strategies that foster creative thinking and go beyond procedural methods. Instruction should accommodate varying creative styles, encouraging all students to explore, reflect, and express new ideas in problem-solving.

Keywords: numerical estimation, fluency, flexibility, elaboration, originality

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Supplemental data. Datasets available from <https://data.mendeley.com/preview/tcdr7cv3xz?a=340147a6-f74d-43cc-b06b-ff231338d364> or by request to the corresponding author, M. Rizal.

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Процесс творческого мышления учащихся при решении задач на числовую оценку: изучение случая в средней школе

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Резюме

Контекст и актуальность. В условиях образовательного процесса XXI века творческое мышление становится особенно важным, прежде всего в математике. Числовая оценка является неотъемлемой основой вычислительной грамотности и требует от учащихся не только точности, но и гибкости, а также способности мыслить нестандартно. Анализ того, как школьники применяют творческие подходы при решении задач на оценку, позволяет лучше понять возникающие у них трудности (особенно в условиях дефицита времени) и усовершенствовать методы обучения. **Цель.** Цель данного исследования — изучить процессы творческого мышления учащихся средней школы при решении задач на числовую оценку, уделяя особое внимание четырем аспектам креативности: беглости, гибкости, разработанности (детализации) и оригинальности. **Гипотеза.** Этапы творческого мышления (беглость, гибкость, разработанность и оригинальность) у учащихся средней школы проявляются в процессе решения задач на числовую оценку. **Методы и материалы.** В данном исследовании использовался качественный анализ с участием учащихся средней школы. Из 55 учеников были отобраны два участника (S1 и S2) для углубленного изучения их процессов творческого мышления. Сбор данных осуществлялся с помощью тестов на числовую оценку, наблюдения, протоколов «мышления вслух», интервью и полевых заметок. Анализ данных проводился в шесть этапов: рецензирование, сокращение, группировка, категоризация, кодирование и валидация полученных результатов через проверку участниками. **Результаты.** При решении задач на числовую оценку у учащихся средней школы наблюдаются следующие проявления творческого мышления: беглость — в выработке множества стратегий; разработанность — через обращение к прошлому опыту; гибкость — в

адаптации применяемых подходов; оригинальность — в создании настоящего новых стратегий. **Выводы.** При решении задач на числовую оценку учащиеся средней школы демонстрируют творческое мышление, беглость, разработанность, гибкость и оригинальность. Рекомендуется поощрять учителей к использованию разнообразных стратегий обучения, которые развивают творческое мышление и выходят за рамки процедурных методов. Обучение должно учитывать различные творческие стили, побуждая всех учащихся исследовать, рефлексировать и выражать новые идеи в процессе решения задач.

Ключевые слова: числовая оценка, беглость, гибкость, разработанность, оригинальность

Финансирование. Исследование было поддержано факультетом педагогического образования и подготовки учителей Университета Тадулако, который предоставил финансирование на проведение исследования под номером 2653/UN28/KU/2024.

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Дополнительные данные. Данные доступны по ссылке: <https://data.mendeley.com/preview/tcdr7cv3xz?a=340147a6-f74d-43cc-b06b-ff231f338d364> или по запросу к автору М. Ризалу.

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Introduction

Numerical estimation is a crucial cognitive skill for students, as it is frequently utilized in academic contexts. For example, estimating the sum of $1/2 + 3/4$ can be efficiently accomplished using the $1/2$ benchmark approach. Since $3/4$ is greater than $1/2$, it is quickly concluded that the sum will be greater than 1. This estimation skill is also widely applied in everyday life, such as estimating travel time or the completion time of a task.

The estimation process involves thoughtful consideration of relevant variables, effective use of limited information, and creative thinking. Therefore, effective estimation requires not only a solid foundational understanding of mathematics but also creative skills to generate estimates that closely approximate the actual value based on available information. Fedyk and Xu (2020) emphasized creativity's critical role in conceptualizing abstract ideas applicable to a range of high-value tasks, including estimation. For instance, arithmetic estimation problems — such as evaluating (6×346)

$\div 43$ — require creativity to manipulate expressions for mental arithmetic simplification. The expression can be transformed into $(6 \times 350) \div 42 = (6 \div 42) \times 350 = 1/7 \times 350 = 50$, a result easily derived without a formal algorithm. Estimation skills are essential for students responding to open-ended questions, aiding verification of answer accuracy and preventing logical misconceptions. This aligns with Barnatchez et al. (2024), who highlighted estimation as a flexible and efficient strategy for controlling measurement errors.

Estimation assists individuals in finding answers quickly and accelerating task completion. For example, estimation skills prove essential when answering objective test questions commonly used to assess a broad range of material across numerous items. Without these skills, individuals may struggle to complete tasks efficiently, particularly essay-type questions where limited time may lead to underperformance. For instance, when identifying the decimal equivalent of $3/8$ from the options a) 0,125, b) 0,375, c) 0,575, and d) 0,775,

students with estimation skills will quickly narrow down choices. Since 3 is smaller than 4, $\frac{3}{8}$ is less than $\frac{1}{2}$, eliminating options c and d. Additionally, because 3 exceeds 2, the value must be greater than 0,250, leaving option b as the correct answer. This skill supports not only mathematical proficiency but also enables rapid decision-making across disciplines such as business, social sciences, and natural sciences. These insights align with findings by Dandekar et al. (2024), demonstrating how predictive analytics based on health data have transformed patient care through improved accuracy and timeliness of decisions.

Effective estimation requires creativity to obtain approximate values for the desired outcomes. This ability involves the skill of selecting strategies that are appropriate to the characteristics of the problem as well as the mental representations constructed by individuals. Adeoye (2023) states that analyzing problem-solving requires skills, innovation, and creativity in deriving solutions. Katzat et al. (2021) argue that a deeper understanding of a problem is key to designing more effective and inclusive cognitive interventions. In addition, the nature of the problem — including estimation tasks — affects the strategies employed. The findings of Candido et al. (2022) and Park (2020) highlight that the representation of a problem influences students' choice of strategies”.

This study aims to describe the creative thinking processes of junior high school students in solving numerical estimation problems. By understanding these processes, the study seeks to provide valuable insights for teachers in designing adaptive and responsive instructional strategies that address students' cognitive needs. Furthermore, the findings are expected to contribute to improving the effectiveness of mathematics education by fostering students' creativity in estimation tasks, thereby supporting curriculum development in mathematics education.

Materials and methods

This study employed a qualitative research design involving junior high school students in Palu City, Indonesia. From a pool of 55 students who participated in a mathematics ability test, two

participants (S1 and S2) were selected to allow for an in-depth exploration of their creative thinking processes. Data collection on students' creative thinking in solving numerical estimation problems was conducted through problem-solving tests, observation, think-aloud protocols, in-depth interviews, field notes, and audio recordings. The study focused on four key indicators of creative thinking as defined by López Martínez et al. (2024): fluency, flexibility, originality, and elaboration. Data analysis followed the six-step framework outlined by Rizal et al. (2023): (1) data review, (2) data reduction, (3) data grouping, (4) data categorization, (5) data coding, and (6) validation through member checking.

Results

Based on in-depth interview data, written tests, and observations of students' creative thinking processes in solving numerical estimation problems, the explanation is presented as follows.

Creative thinking process of the first subject (S1)

The data from the work results and interviews with men are presented in the following table.

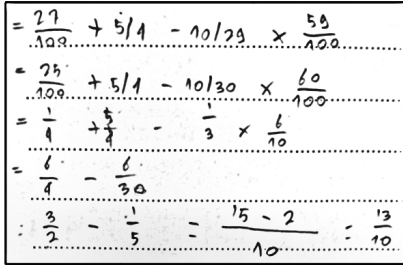
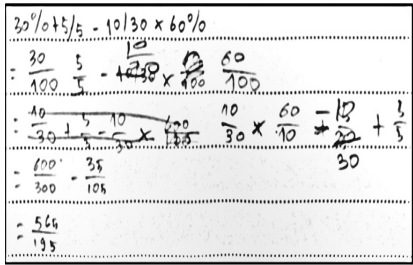
Creative thinking process of the first subject (S1). Based on the written response and interview in Table 1, the creative thinking process of subject S1 in solving a numerical estimation problem involved using a rounding strategy and a specific approach. S1 rounded 27% to 25%, 59% to 60%, and 10/29 to 10/30. Through reformulation, 25% was expressed as 25/100 and 60% as 60/100, leading to the following expression: $25/100 + 5/4 - 10/30 \times 60/100 = \dots$

Furthermore, the subject applied the compatible number strategy and reformulated the expression by simplifying 25/100 to 1/4, 10/30 to 1/3, and 60/100 to 6/10, resulting in: $1/4 + 5/4 - 1/3 \times 6/10 = \dots$

Through the compatible number strategy, the subject paired compatible numbers. The expression $1/4 + 5/4$ was simplified to 6/4, and $1/3 \times 6/10$ was computed as 6/30. Further reformulation simplified 6/4 to 3/2 and 6/30 to 1/5, leading to the expression of $3/2 - 1/5 = 13/10$.

Table 1

The creative thinking process of S1 in numerical estimation for Problem 1

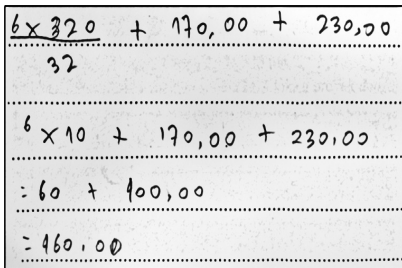
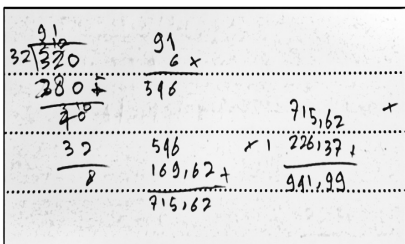
1. Solve using estimation to obtain the results of the following arithmetic operations: $27\% + 5/4 - 10/29 \times 59\%$	
Answer	
Method 1	Method 2
Student works	
	
Interview results	
P : Why did you change 27% to 27/100 and 59% to 59/100?	P : Can you explain this? The expression $27\% + 5/4 - 10/29 \times 59\%$ — why did you change them to 30%, 5/5, 10/30, and 60%?
S1 : To make the calculation easier. I also rounded 27/100 to 25/100, 10/29 to 10/30, and 59/100 to 60/100.	S1 : I rounded them to make the calculation easier.
P : Then what did you do?	P : Then what?
S1 : I rewrote the expression as $25/100 + 5/4 - 10/30 \times 60/100$.	S1 : So, the expression becomes $30\% + 5/5 - 10/30 \times 60\%$.
P : What next?	P : What next?
S1 : I simplified 25/100 to 1/4 and 10/30 to 1/3.	S1 : I converted 30% into a fraction, which is 30/100. So, the expression becomes $30/100 + 5/5 - 10/30 \times 60/100$.
P : Then?	P : Then?
S1 : The expression became $1/4 + 5/4 - 1/3 \times 6/10$. I added $1/4 + 5/4 = 6/4$, and multiplied $1/3 \times 6/10 = 6/30$.	S1 : I did the multiplication first, so I rearranged it as $10/30 \times 60/100 - 10/30 + 5/5$.
P : Then?	P : Why did you change the order?
S1 : I simplified 6/4 to 3/2 and 6/30 to 1/5.	S1 : Because I wanted to solve the multiplication first before adding the other fractions.
P : Then?	P : And after that?
S1 : So, it became $3/2 - 1/5$.	S1 : $10/30 \times 60/100 = 600/300$. Then $10/30 + 5/5 = 35/105$.
P : What was the final step?	P : Finally?
S1 : I found the least common denominator: $3/2 - 1/5 = (15 - 2)/10 = 13/10$	S1 : So, the result is $600/300 - 35/105 = 565/195$.

To arrive at 13/10, the subject converted the fractions to have a common denominator using their fundamental knowledge of the

Least Common Multiple (LCM) of 2 and 5. Therefore, $3/2 - 1/5$ was rewritten as $(15 - 2)/10 = 13/10$.

Table 2

The creative thinking process of S1 in numerical estimation for Problem 2

2. Solve using estimation to obtain the results of the following arithmetic operations $\frac{6 \times 327}{32} + 169,62 + 226,37 = \dots$	
Answer	
Method 1	Method 2
Student Works	
	
Interview Results	
P : Explain this!	P : Explain this!
S1 : I rounded 327 to 320. So that it is easy for me to calculate, it is divided by 32.	S1 : I rounded 327 to 320.
P : Then?	P : Why did you round 327 to 320?
S1 : I rounded 169,62 to 170,00 and 226,37 to 230,00. Then, $320 \div 32 = 10$	S1 : To make it easier to calculate.
P : Then?	P : Then, what's the result?
S1 : $10 \times 6 + 170,00 + 230,00$.	S1 : 91, then $91 \times 6 = 546$, then $546 + 169,62 = 715,62$, then $715,62 + 226,37 = 941,99$.
P : Then?	
S1 : $6 \times 10 = 60$ and $170,00 + 230,00 = 400,00$, so $60 + 400,00 = 460,00$.	

Based on Table 2, S1 completed the estimation using the rounding and compatible number strategy, changing 327 to 320 and adjusting the denominator to 32 in order to simplify mental arithmetic calculation, resulting in $320 \div 32 = 10$. Next, applying the rounding strategy, 169,62 was rounded to 170,00 and 226,37 to 230,00. The final form obtained was $6 \times 10 + 170,00 + 230,00$. The subsequent calculations were carried out as follows: $6 \times 10 = 60$ and $170,00 + 230,00 = 400,00$, which were then combined to yield $60 + 400,00 = 460,00$.

Based on Table 3, S1 completed the calculation using a combination of the rounding and the compatible number strategy. The number 23419908 was rounded to 26000000,

and the divisor was adjusted to 26 to simplify and accelerate mental computation. Additionally, 189235 was rounded to 190000, and 218745 was rounded to 220000. The calculation was carried out step-by-step, beginning with $26000000 \div 26 = 1000000$, followed by $190000 + 220000 = 410000$. S1 then reformulated the equation as $1000000 + 190000 + 220000$ resulting in a final estimate of 1410000.

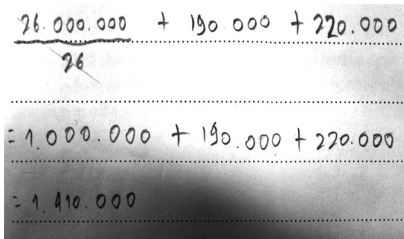
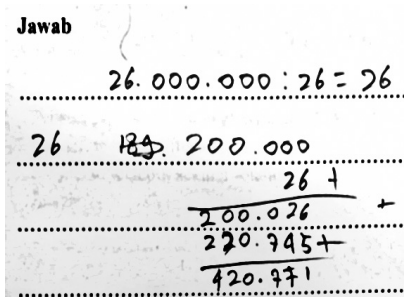
Creative thinking process of the second subject (S2)

The data from the work results and interviews with women are presented in the following table.

According to Table 4, S2 approached the estimation by reformulating the expression,

Table 3

The creative thinking process of S1 in numerical estimation for Problem 3

3. Solve using estimation to obtain the results of the following arithmetic operations: $\frac{23419908}{26} + 189235 + 218745$	
Answer	
Method 1	Method 2
Student Works	
	
Interview results	
S1 : 23419908/26, I rounded the numerator to 26000000, then divided by 26, so it becomes 26000000/26	P : Can you explain this, kid?
P : Then?	S1 : I rounded 23419908÷26 to 26000000, so 26000000÷26=26.
S1 : 189235 is rounded up to 190000.	P : Why is the result 26?
P : Then?	S1 : Because 26000000÷26=26.
S1 : 218745 is changed to 220000.	P : Then?
P : Then?	S1 : 200000+26=200026.
S1 : 26000000\div 26=1000000, then I added 1000000 +190000+220000=1410000,00	P : Then?
S1 : 1410000,00	S1 : 200026+220745, and the result is 420771.

converting 27% to 27/100 and 59% to 59/100, resulting in $27/100 + 5/4 = 10/29 \times 59/100$. Subsequently, S2 applied rounding and reformulation strategies, 27/100 was changed to 30/100, 10/29 to 10/30, and 59/100 to 50/100, yielding a more manageable expression for mental arithmetic computation: $30/100 + 5/4 = 10/30 \times 50/100$.

According to Table 5, S2 utilized a rounding strategy by rounding 327 down to 320 and applying a compatible numbers strategy by adjusting 320 to 32 to facilitate mental computation. Similarly, 6 was rounded up to 10, simplifying the operation to: $10 \times 320 \div 32 = 3,200 \div 32 = 100$.

Moreover, 169,62 was rounded to 165,00 and 226,37 to 225,00, resulting in a simplified supporting mental computation. The final expression becomes: $10 \times 320 \div 32 + 165 + 225$, further calculated mentally as: $3200 \div 32 + 390 = 100 + 390 = 490$.

Based on Table 6, S2 combined rounding and compatible number strategies. 23419908 is rounded to 23000000 and 26 to 23, simplifying the mental calculation into $23000000 \div 23 = 1000000$. Similarly, 189235 is rounded to 190000 and 218745 to 200000, thus the form becomes $190000 + 200000 = 390000$. Therefore, the estimated result through mental calculation is $1000000 + 190000 + 200000 = 1000000 + 390000 = 1390000$.

Table 4

The creative thinking process of S2 in numerical estimation for Problem 1

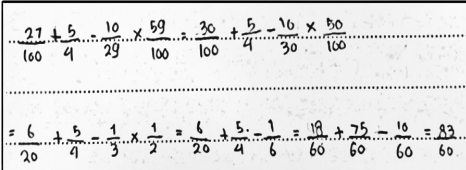
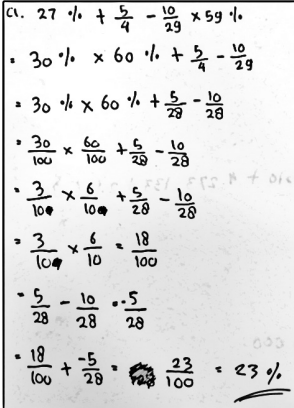
4. Solve using estimation to obtain the results of the following arithmetic operations: $27\% + 5/4 - 10/29 \times 59\%$	
Answer	
Method 1	Method 2
Student Works	
	
Interview results	
P : Why did you convert $27\% + 5/4 - 10/29 \times 59\%$ into this form?	P : Explain that, kid!
S2 : I converted 27% into the fraction 27/100, and 59% into 59/100. So, I obtained the form $27/100 + 5/4 - 10/29 \times 59/100$.	S2 : I rounded 27% to 30% and 59% to 60%. I rewrote it as $30\% \times 60\% + 5/4 - 10/29$.
P : Then?	P : What next?
S2 : I rounded 27/100 by adjusting the numerator to 30/100, 59/100 to 50/100, and 10/29 by rounding the denominator to 10/30.	S2 : I changed 5/4 to 5/28 and 10/29 to 10/28. So the expression becomes $30\% \times 60\% + 5/28 - 10/28$.
P : Then what next?	P : Then?
S2 : I can rewrite it as $30/100 + 5/4 - 10/30 \times 50/100$. I simplified 30/100 to 6/20, 10/30 to 1/3, and 50/100 to 1/2.	S2 : I converted 30% into the fraction 30/100 and 60% into 60/100.
P : Then?	P : Then?
S2 : So, it becomes $6/20 + 5/4 - 1/3 \times 1/2 = 6/20 + 5/4 - 1/6$. I found the LCM (Least Common Multiple) of the denominators 6, 4, and 20.	S2 : Now, the expression is $30/100 \times 60/100 + 5/4 - 10/29$. I simplified 30/100 to 3/10 and 60/100 to 6/10.
P : Then?	P : Then?
S2 : $6/20 + 5/4 - 1/6$ becomes $18/60 + 75/60 - 10/60 = 83/60$.	S2 : $3/10 \times 6/10 = 18/100$ and $5/28 - 10/28 = -5/28$.
	P : Then?
	S2 : $18/100 + (-5/28) = 23/100 = 23\%$.

Table 5

The creative thinking process of S2 in estimating calculations for Problem 2

5. Solve using estimation to obtain the results of the following arithmetic operations: $\frac{6 \times 327}{32} + 169,62 + 226,37 = \dots$	
Answer	
Method 1	Method 2
Student Works	
Interview results	
P : Why do you work like this?	P : How is it, kid? Try to explain it!
S2 : $6 \times 327 / 32$. I rounded 327 to 320, to make it easier to count 320 divided by 32. Then I rounded 6 to 10.	S2 : I rounded 327 to 320. So, $320 / 32 = 10$, then $10 \times 6 = 60$
P : Then what next, kid?	P : Then?
S2 : $320 \times 10 = 3200$, then $3200 / 32$	S2 : I rounded 169,62 to 170,60 and 226,37 to 220,40
P : Then what next?	P : Then?
S2 : I rounded 169,62 to 165,00 and 226,37 to 225,00. So, $165,00 + 225,00 = 390,00$	S2 : I added $170,60 + 220,40 = 391,00$
P : Then?	P : Then?
S2 : I added up these results, $3200 / 32 + 390,00 = 100 + 390 = 490,00$	S2 : $391,00 + 60 = 391,60$

Table 6

The creative thinking process of S2 in estimating calculations for Problem 3

6. Solve using estimation to obtain the following arithmetic operation results: $\frac{23419908}{26} + 189235 + 218745$	
Answer	
Method 1	Method 2
Student Works	
Interview Results	
P : Try to explain your work, kid.	P : Can you explain your work?

S2 : I rounded 23419908 to 23000000 to make it easier to calculate. I rounded 189235 to 190000 and 218745 to 200000.	S2 : I rounded 23419908 to 26000000 to make it easier to divide by 26.
P : Then?	P : Then?
S2 : $23000000/23+190000+200000$.	S2 : So, 26000000 divided by $26 = 1000000$.
P : Then?	P : Then?
S2 : $23000000/23+190000+200000=1000000 + 390000=1390000$.	S2 : $189235+218745=407980$, then I rounded it to 401. So, $1000000+401=1000401$

Discussion

Creative thinking process of subject S1 S1's creative thinking process in solving the first part of the problem

Based on the data in Table 1, S1 utilized various estimation strategies including rounding, compatible numbers, special strategies, and reformulation to transform problems into forms suitable for mental calculation, resulting in accurate estimation. This approach reflects strong problem-solving skills. Izzah et al. (2023) stated in their research findings that each junior high school student may have different strategies and solutions when solving open-ended problems.

In addition, S1 tends to seek unique approaches, exploring multiple solutions and even combining various strategies to arrive at an estimated result, although occasionally relying on procedural calculations involving algorithms. For example, S1 integrates rounding and the compatible number strategy to estimate 30% of 27%, modifying values such as $5/4$ to $5/5$ and $10/29$ to $10/30$ to ease mental calculations. The percentage is converted into fractional form, resulting in an expression like $30/100 + 5/5 - 10/30 - 60/100$ and simplified to $3/10 + 5/5$. This approach highlights S1's proficiency in selecting and adjusting numerical for S1 to optimize mental calculation. Ramadani & Wulandari (n.d.) found that in mathematical modeling, junior high school students created unique models and used a logical and systematic approach to find solutions.

S1's creative thinking process while solving the second part of the problem

In addressing complex numerical estimation problems, S1 proceeds gradually, applying

diverse strategies and exploring multiple approaches to enhance calculation accuracy. This process reflects a high degree of flexibility as S1 utilizes various techniques to generate several possible estimates through mental computation. Ramadani & Wulandari (n.d.) stated that these junior high school students tend to rely on trial-and-error and procedural methods in solving problems.

In solving problems, S1 integrates multiple estimation strategies while drawing on prior experience with mixed arithmetic operations. This is in line with the findings of Tunç (2020), who stated that junior high school students, in solving proportional and non-proportional problems, use varied strategies and adjust them according to the type of problem.

S1's creative thinking process while solving the third part of the problem

S1 approaches problem solving by employing multiple estimation strategies and alternative methods, modifying numerical forms while still adhering to procedural patterns based on algorithmic calculations to support mental computation. Tunç (2020) revealed that students solve problems using different strategies and adapt them to the type of questions to be solved. Güner at al. (2021) stated that in solving problems, students choose appropriate strategies to obtain the correct answer.

Creative thinking process of subject S2 S2's creative thinking process while solving the first part of the problem

S2 consistently performs numerical estimations using various strategies, reformulating expressions and proceeding stepwise to facilitate

mental calculations. For example, simplifying $30/100$ to $6/20$, $10/30$ to $1/3$, and $50/100$ to $1/2$ transforms the expression into $6/20+5/4-1/3 \times 1/2$. Calculating each part separately simplifies it further to $6/20 + 5/4 - 1/6$. These findings align with Rathgeb-Schnierer et al. (2021), who stated that elementary school students develop flexible mental calculation skills by focusing on key themes in finding solutions.

S2 solves numerical estimation problems by carefully combining strategies and leveraging prior knowledge, such as the Least Common Multiple (LCM) of 20, 4, and 6 to obtain $83/60$ from the expression $6/20 + 5/4 - 1/6$. Li et al. (2024) stated that students independently and effectively solve complex mathematical problems by integrating a variety of strategies. Puspayanti (2023) states that students are able to connect concepts with real-life situations.

S2's creative thinking process

while solving the second part of the problem

S2 consistently applies various estimation strategies, often combining multiple approaches and simplifying expressions to facilitate accurate mental calculation. Li et al. (2024) and Pisfil et al. (2024) state that students have the potential to cultivate critical and flexible thinking, as well as generate original ideas, when equipped with the skills to solve complex problems.

S2 explored alternative methods, although most adhered to a procedural approach. Enciso et al. (2024) state that in problem-solving, individuals can systematically evaluate various possibilities to obtain alternative solutions in complex situations. Puspayanti (2023) states that junior high school students can effectively solve complex mathematics problems by applying the Mathematical Problem-Solving Mastery (MPS) model using procedural knowledge. Tsukanova (2024) states that students are able to work systematically, deepen their knowledge, and develop problem-solving skills.

S2's creative thinking process

while solving the third part of the problem

S2 solves numerical estimation problems by combining rounding and compatible number

strategies, exploring other methods but generally adhering to a structured and procedural approach until reaching a suitable form for mental computation. This aligns with Diaby (2022), who stated that in performing calculations, students apply the properties of operations by utilizing procedural knowledge in a systematic, step-by-step manner to obtain results.

Moreover, S2 applied her experience in performing mixed arithmetic operations with three numbers simultaneously, simplifying and adjusting expressions to enable efficient mental calculation and accurate estimation. Li et al. (2024) stated that students are able to solve complex mathematical problems by independently and effectively simplifying while integrating various strategies.

Creative thinking process of S1 and S2 in solving numerical estimation problems

Based on the above description, the creative thinking processes of S1 and S2 in solving numerical estimation problems were examined using four creativity indicators: fluency, elaboration, flexibility, and originality, as follows:

Fluency

S1 approached the numerical estimation problems by employing diverse strategies such as rounding, compatible numbers, special techniques, reformulation, converting decimals to fractions, and reshaping problems to facilitate mental calculation. They often rely on prior experience, explore multiple possible solutions, and adopt a structured yet flexible problem-solving style. S2 used similar strategies, including rounding, adjusting numbers for easier mental calculation, and drawing on experience. This is in line with Yasin et al. (2023), who stated that the process of mathematical problem-solving by students involves understanding the problem, relating it to prior experiences, extracting essential components, identifying relationships among elements, exploring possible alternatives, predicting patterns, and selecting the most appropriate solution based on the identified regularities. Diaby (2022) stated that in performing calculations, students

apply the properties of operations by utilizing procedural knowledge in a systematic, step-by-step manner to obtain results.

Elaborative

In solving numerical estimation problems, S1 adjusted the numbers to simplify mental calculations and applied various efficient strategies to obtain the estimated results quickly. Meanwhile, S2 employed a similar approach but with greater caution and reflection, which resulted in a slower problem-solving process. This is consistent with the findings of Tun (2020) and Güner et al. (2021), who revealed that students solve problems by employing various appropriate strategies to obtain the correct answer.

Flexibility

S1 demonstrated flexibility by employing various estimation strategies, adjusting numbers to simplify mental calculations, performing division, and then solving the problem completely. These findings align with Rathgeb-Schnierer et al. (2021) stated that elementary school students develop flexible mental calculation skills by focusing on key themes in finding solutions. S2 also employed a variety of estimation strategies, emphasizing the simplification of numerical forms to facilitate mental computation and carefully verify each solution step. Li et al. (2024) stated that students are capable of independently and effectively solving complex mathematical problems by integrating various strategies.

Originality

S1 performed estimation using a wider variety of strategies and actively sought new approaches to obtain results more quickly. Hsiao et al. (2022) stated that junior high school students can be encouraged to enhance their creativity through various ways of thinking in solving problems to arrive at a final solution. S2 solved the numerical estimation problem by carefully combining various strategies, employing clear and structured methods based on prior knowledge. Chen et al. (n.d.) stated that in solving complex problems, students tend to adopt certain strategies to obtain accurate

solutions. This study reveals that junior high school students demonstrate originality and the ability to generate new ideas in solving estimation problems.

Conclusions

Based on the analysis, junior high school students simplify arithmetic calculations in solving numerical estimation problems by employing strategies such as rounding, the use of compatible numbers, converting decimals to fractions, and reformulating problems. Among these, rounding and compatible numbers emerged as the most dominant strategies, while some students also applied fraction conversion and problem reformulation. The application of these strategies reflects fluency, through the ability to generate multiple solution alternatives; flexibility, by adapting methods to the context of the problem; elaboration, through the adjustment of numbers and the detailing of solution steps; and originality, by combining or developing more efficient approaches.

Future studies should involve more students from various schools to gain a broader and more generalizable understanding of creative thinking in numerical estimation. Factors such as learning style, gender, cognitive type, motivation, and family background also need to be considered. Learning models like PBL and STEM, as well as interactive technologies, could be explored to foster creativity. Longitudinal research is recommended to examine the long-term effects of these factors. In addition, extending the scope beyond numerical estimation would provide a more comprehensive picture of students' creativity in mathematics and problem-solving.

Limitations. This study is a case study and thus does not allow generalization to the wider student population. This study only highlights the creative thinking processes of junior high school students in solving numerical estimation problems, without considering other factors that may influence their creative thinking abilities. Additionally, the analysis focuses exclusively on students' approaches to numerical estimation problems, limiting the reflection of their creative thinking skills in broader contexts.

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M. Rizal — developed the research framework, designed the methodology, and led the data analysis process, as well as contributed to writing the initial draft of the manuscript and revising it for critical intellectual content.

T.Y.E. Siswono — provided theoretical guidance in the field of mathematics education and supervised the overall research process. He contributed to refining the analytical framework and interpreting the findings related to gender-based cognitive processes.

Nurhayadi — assisted in field data collection and coordinated with schools and students. He also contributed to the transcription and coding of student responses and supported the review and editing of the manuscript.

E. Djufri — participated in classroom observations and facilitated communication with the junior high school where the research was conducted. He helped analyze students' written work and assisted with the formatting of the manuscript.

Вклад авторов

М. Ризал — разработал исследовательскую концепцию, спроектировал методологию и руководил процессом анализа данных, а также принял участие в написании первоначального варианта рукописи и ее доработке в части критического интеллектуального содержания.

Т.Й.Э. Сисвано — обеспечил теоретическое руководство в области математического образования и осуществлял общее руководство исследовательским процессом. Он способствовал уточнению аналитической структуры и интерпретации результатов, касающихся когнитивных процессов с учетом гендерных различий.

Н. Нурхаяди — оказывал помощь в сборе полевых данных и координировал взаимодействие со школами и учащимися, участвовал в расшифровке и кодировании ответов учащихся, а также поддерживал процессы рецензирования и редактирования рукописи.

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Conflict of interest

The authors declare that there is no conflict of interest in this study. All processes of research, data analysis, writing, and publication were conducted independently without any influence from third parties that could affect the results or interpretation of the data.

Конфликт интересов

Авторы заявляют, что в данном исследовании отсутствует конфликт интересов. Все процессы, а именно: проведение исследования, анализ данных, написание и публикация осуществлялись независимо, без какого-либо влияния со стороны третьих лиц, которое могло бы повлиять на результаты или интерпретацию данных.

Ethics statement

This study has been reported and approved by the Head of the Institute for Research and Community Service (LPPM) of Tadulako University on January 10, 2025.

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